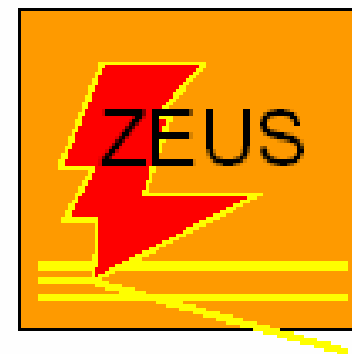


# Electroweak physics in ep scattering with polarised leptons

**Kunihiro Nagano (KEK, Japan)**



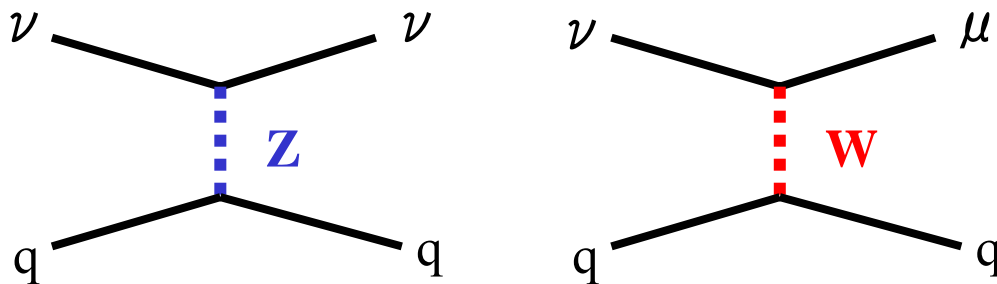
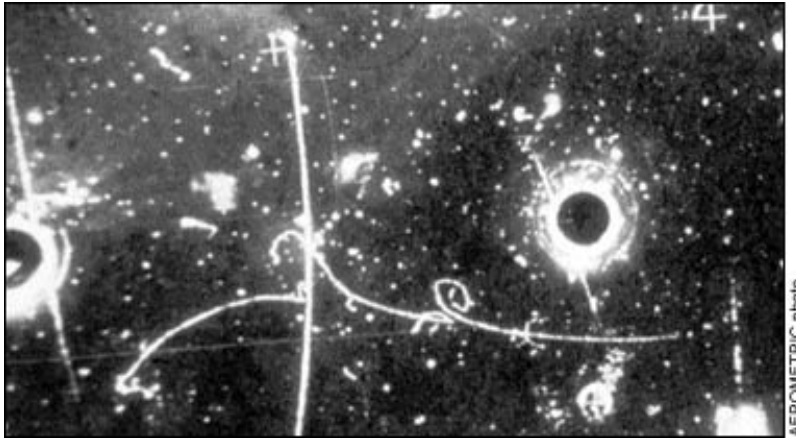
**On behalf of  
the H1 and ZEUS collaborations**



**XXVI PHYSICS IN COLLISION 2006  
6-9 July 2006, Buzios Rio de Janeiro, Brazil**

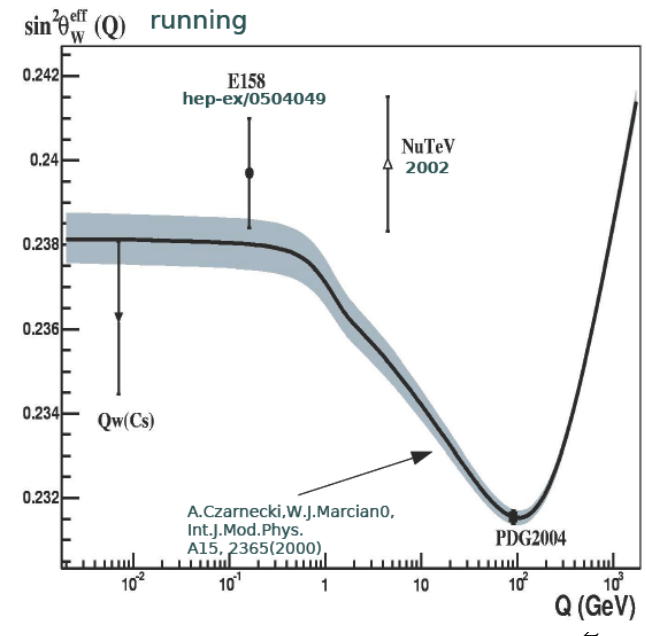
# EW @ DIS ?

- Remember: Weak neutral current was “DIScovered” by the Gargamelle

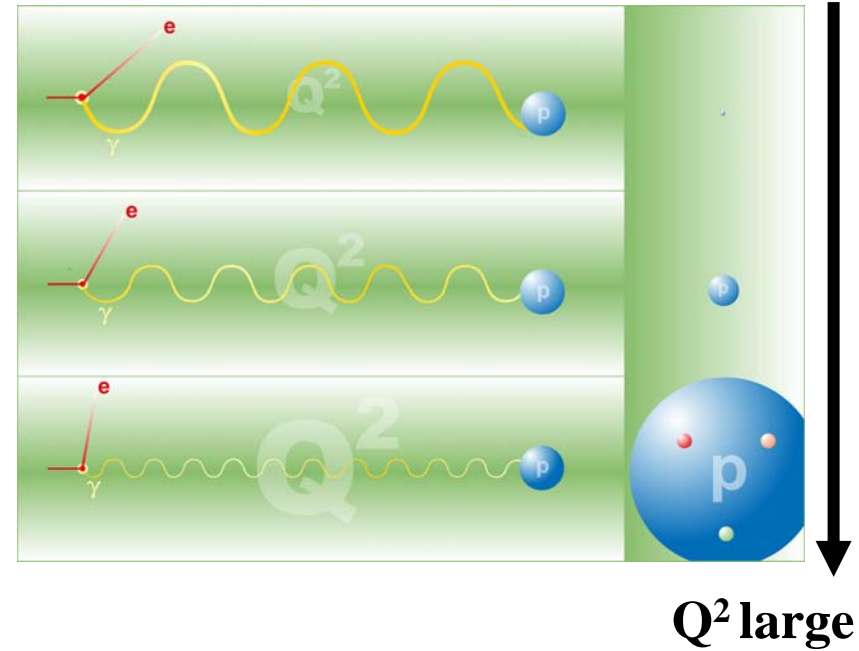


“Pure” weak int. @  $Q^2 \approx 0$   
 ( $Q^2$  is momentum transfer squared)

- $\nu$ -DIS has been a good test bench for the weak mixing angle,  $\sin \theta_w$ : nowadays as well “NuTeV anomaly”



# HERA : world's the only ep collider



$Q^2$  corresponds to:

the scale (wavelength) to probe the proton  $\lambda \sim 1/\sqrt{Q^2}$   
 the scale of the elementary interaction between e and quark

$$Q_{MAX}^2 = s$$

At HERA:  $E_e=27.5 \text{ GeV}$ ,  $E_p=920 \text{ GeV}$   
 $\sqrt{s} = 320 \text{ GeV}$

$$Q_{MAX}^2 \sim 10^5 \text{ GeV}^2$$

$$\lambda_{MAX} \sim 1/1000 r_{proton}$$

**$\nu$ -DIS: Weak @  $Q^2 \approx 0$**

**HERA: Electro-Weak @  $Q^2 \approx \text{EW scale}$**

(corresponds to  $\sim 50 \text{ TeV}$   
 incident beam on fixed target)

# Colliders at EW scale

## LEP:

$$m_Z, \Gamma_Z, \sigma_h^0, R_l^0, A_{FB}^{0,l}$$

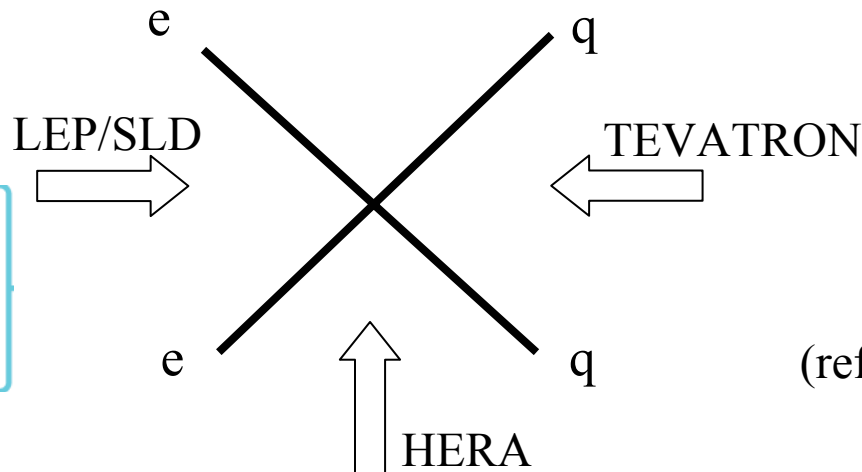
$$P_\tau \rightarrow A_l$$

$$Q_{FB} \rightarrow \sin^2 \theta_{eff}^{lept}$$

## SLD: $A_l$

## LEP+SLD:

$$R_b^0, R_c^0, A_{FB}^{0,b}, A_{FB}^{0,c}, A_b, A_c$$



$$p\bar{p}: m_t$$

$$LEP+p\bar{p}: m_W, \Gamma_W$$

(ref. R.Claire @ SubZ WS)

## ► HERA

- t-channel exchange of gauge bosons
  - $\gamma/Z$  interference in propagator
  - propagator masses
- Parton Distribution Functions (PDFs) are needed

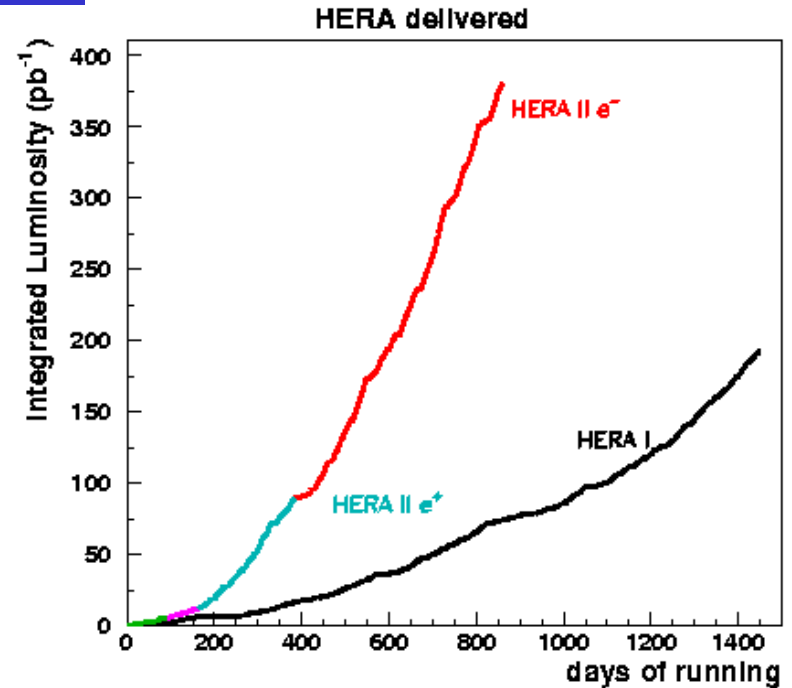
$$\sigma(ep) \propto \sum \sigma(eq) \otimes (pdf)_{EW} \otimes QCD$$

## A “SM test”:

- Test & measure proton structure (i.e. PDFs) at lower  $Q^2$
- Examine EW between e and q at EW scale, based on own knowledge of PDFs
- Examination can be done for both NC and CC

# HERA Data

- ▶ HERA-I : → Year 2000
  - Unpolarized e+ and e- beams
  - Structure function measurement at:
    - $1.5 \leq Q^2 \leq 30000 \text{ GeV}^2$ , i.e.
    - Starting from low  $Q^2$
    - Covering wide  $Q^2$  range
  - Initial EW result: “EW unification”
- ▶ HERA-II : Year 2002 →
  - High luminosity to allow more statistical sensitivity for large  $Q^2$
  - Longitudinally polarized e+ and e- beams to allow direct sensitivity to EW



## Contents of this talk are:

- I. Proton structure
  - II. DIS @ EW scale (unpolarized)
  - III. DIS @ EW scale with polarization
  - IV. QCD+EW combined fit
- giving both legacy and hot results of HERA !**

	HERA-I	HERA-II
e-	~20 pb <sup>-1</sup>	~120 pb <sup>-1</sup>
e+	~100 pb <sup>-1</sup>	~40 pb <sup>-1</sup>

(Luminosity for data analyzed) 5

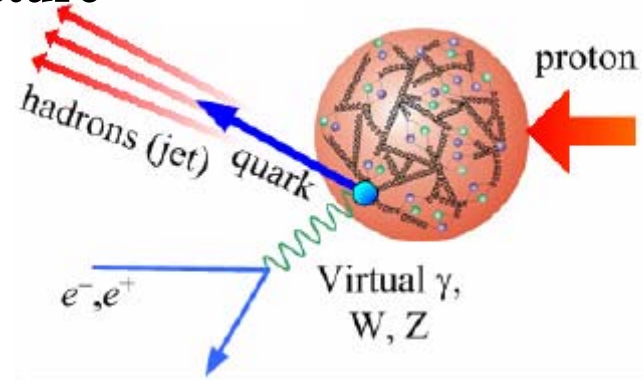
# I. Proton structure

- SF measurement and PDF determination

# Structure Functions (SFs)

- **DIS is a straightforward tool to probe p structure**

- Virtuality:  $Q^2 = -(k - k')^2$ 
  - ➔ Spatial resolution of probe  $\lambda \sim 1/\sqrt{Q^2}$
- Bjorken scaling variable:  $x = Q^2 / 2pq$ 
  - ➔ Momentum fraction of struck parton
- Inelasticity:  $y = pk / pq$ 
  - ➔ Energy transfer to proton (at p rest frame)



$$Q^2 = xys$$

- **Experiment measures Cross-sections: ➔ Structure Functions (SFs)**

$$\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4} Y_+ F_2$$

If proton is point like ➔  $\frac{d^2\sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4} Y_+$

$$Y_+ = 1 + (1 - y)^2$$

(The longitudinal SF,  $F_L$ , is neglected)

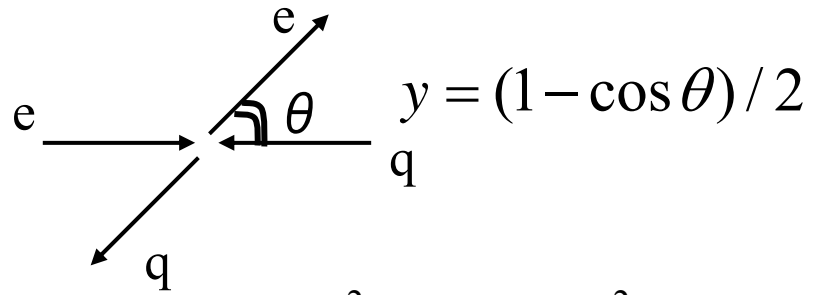
Measure in terms of:

- Mom.frac. of q
- Spatial resolution

**SFs parameterize target structure, i.e how far from point-like**

# Quark-Parton Model (QPM)

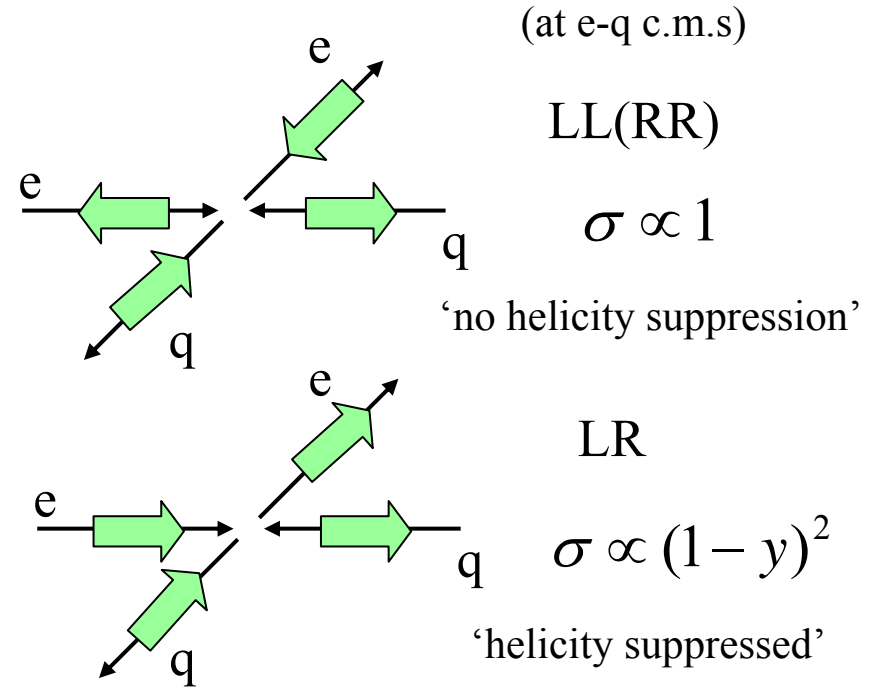
- Kinematic is in  $y$ :  $y$  corresponds to scattering angle between  $e$  and quark



$$\frac{d^2 \sigma}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4} Y_+ F_2$$

V:  $Y_+ = 1 + (1 - y)^2$

A:  $Y_- = 1 - (1 - y)^2$



► At low  $Q^2$  where electro-magnetic dominates:

--  $F_2 =$  Vector component only

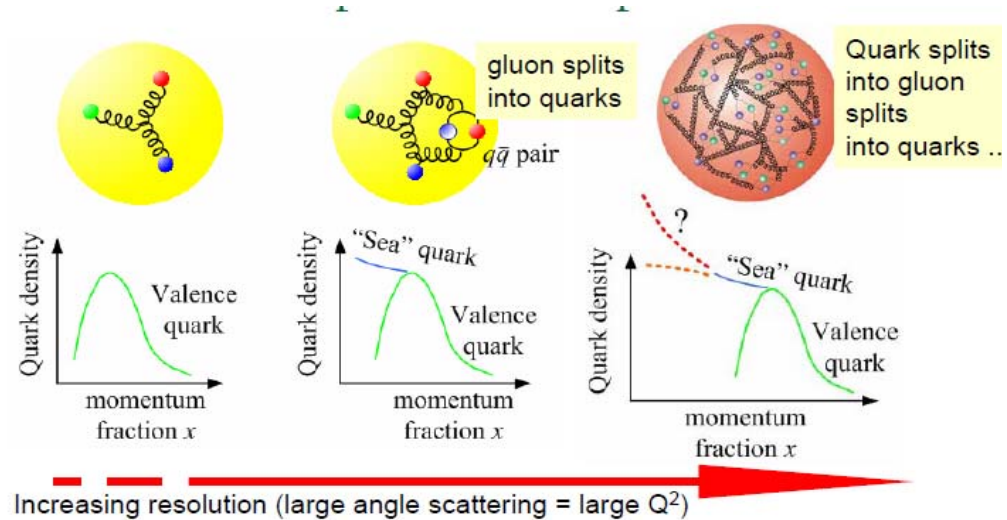
-- All quarks contribute to  $F_2$  according to their charges:  $F_2 = x \sum e_q^2 (q + \bar{q})$

**SFs = (Charges)<sup>2</sup> × Parton Distribution Functions (PDFs)**  
**Xsecs = Coupling × Propagator × Kinematic Factor × SFs**

# QCD evolution: gluon

## ► Beyond QPM

- PDF is not that static  
→ “evolution” as  $Q^2$  grows.
- Structure depends on the resolution to see it.
- pQCD can describe this evolution: “DGLAP eq.”



$$\frac{\partial}{\partial \ln Q^2} \begin{pmatrix} \Sigma \\ xg \end{pmatrix} = \alpha_s \begin{pmatrix} P_{qq} & P_{gq} \\ P_{gq} & P_{gg} \end{pmatrix} \otimes \begin{pmatrix} \Sigma \\ xg \end{pmatrix}$$

$$\text{At low-}x: \frac{\partial F_2}{\partial \ln Q^2} \propto \alpha_s xg$$

$$\frac{\partial}{\partial \ln Q^2} q_{NS} = \sigma_s P_{qq} \otimes q_{NS}$$

- $F_2$  is sum of  $q / \bar{q}$  PDFs  
→ Gluon not directly in  $F_2$  (in LO)
- Gluon owes “slope” of  $F_2$  in  $\log Q^2$  evolution

- However, pQCD cannot predict  $x$ -dependence of PDFs a priori  
→ PDFs are determined by a global fitting to experimental data (next slide)

# Determination of PDFs

● Initial PDFs ( $x$ -dependence) at  $Q^2_0$  are determined by a global fit to various experimental data.

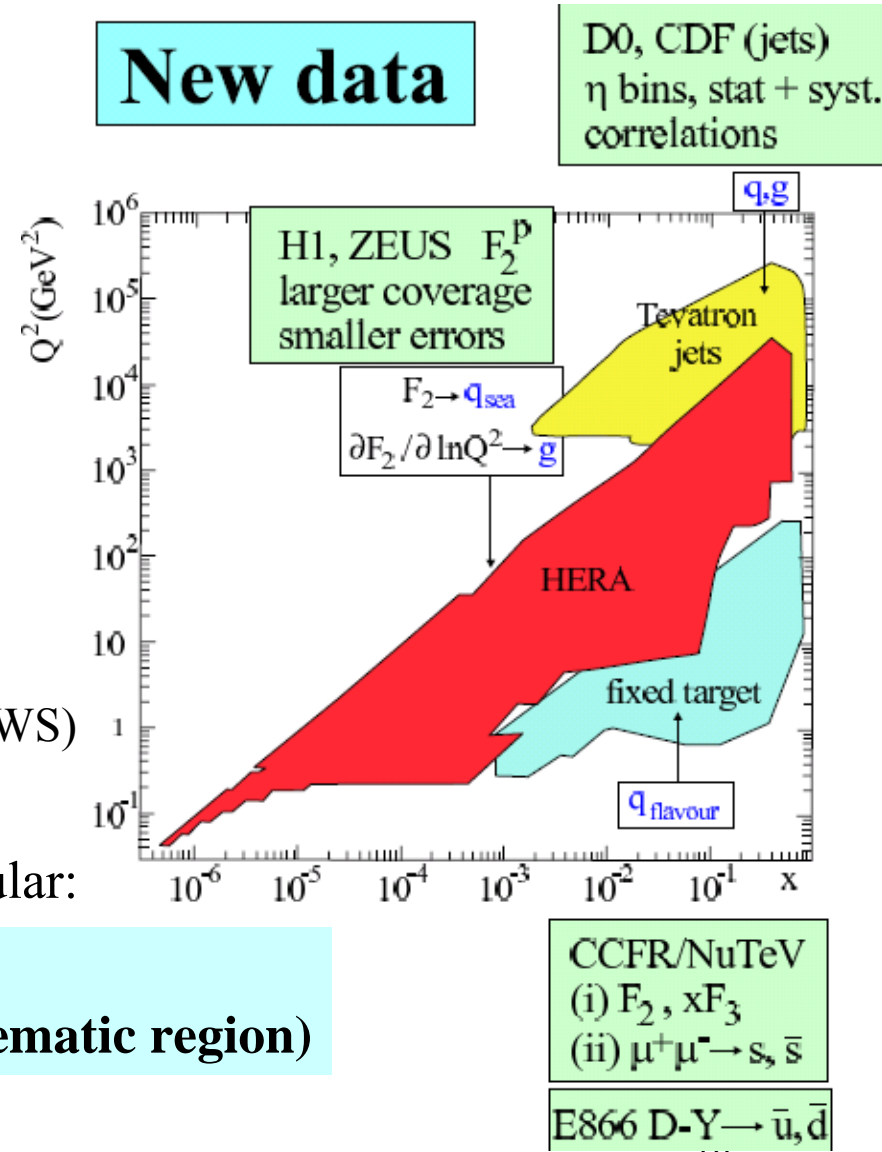
✘ PDF are not observable (but  $F_2$  are)  
 → Universality should be checked in various processes

(ref. A.Martin @ DIS WS)

► HERA plays significant role, in particular:

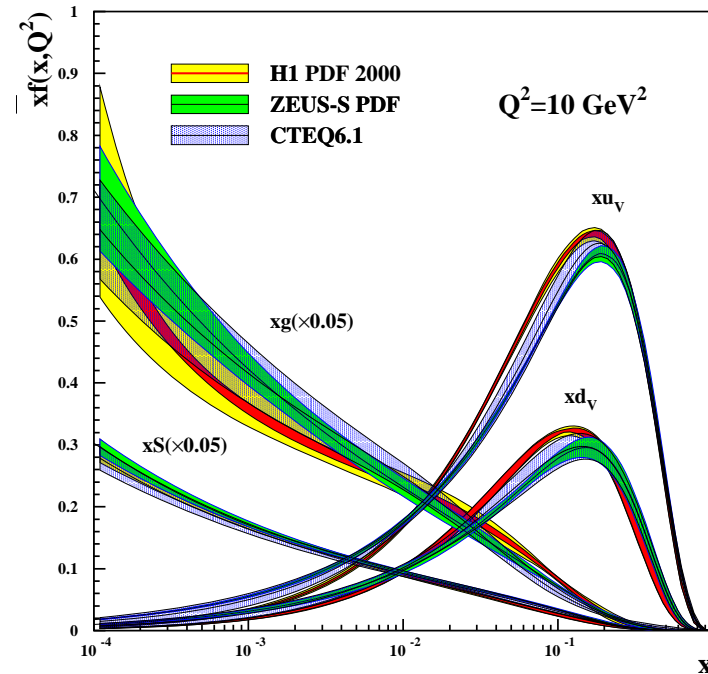
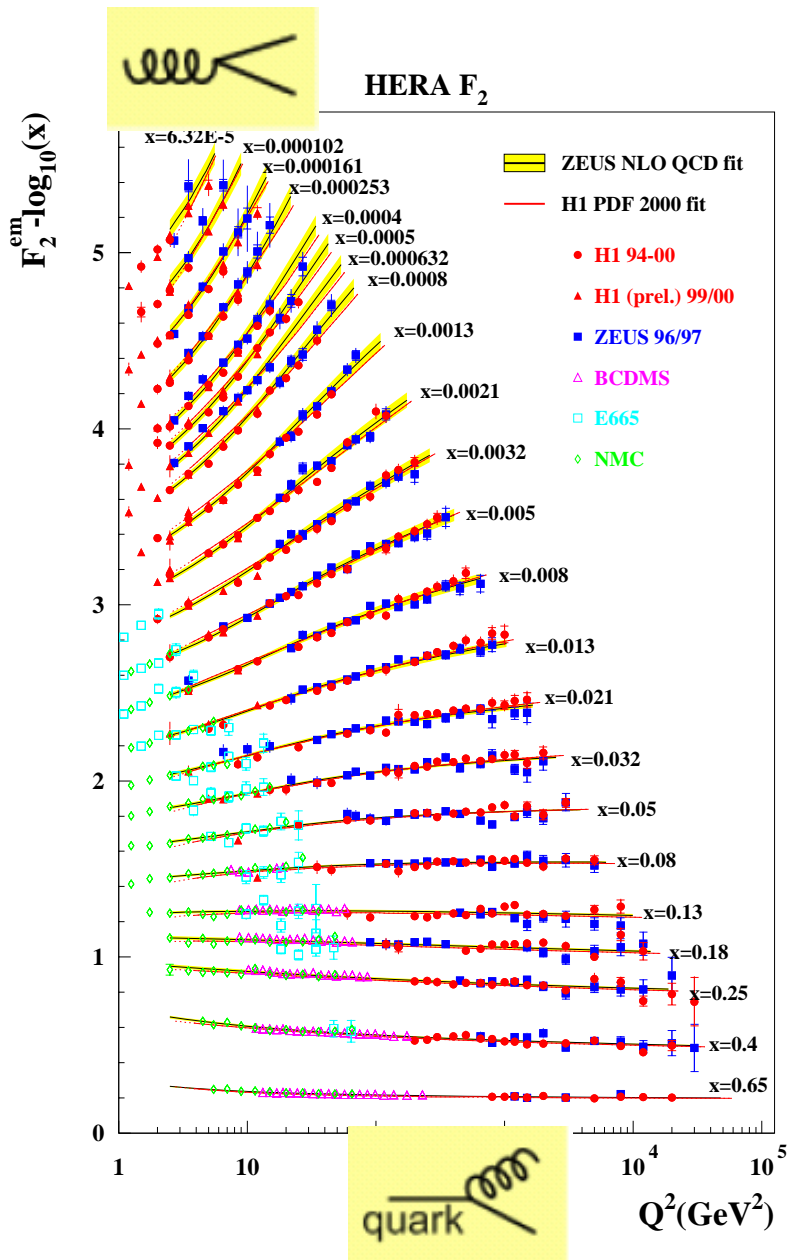
- Gluon
- Sea quarks

**At  $x=10^{-4}$  to  $10^{-1}$   
 (LHC main kinematic region)**



# HERA Legacy

HERA-I  
Data



- NLO pQCD describes  $F_2$  over:
  - 4 orders in  $Q^2$
  - 3 orders in  $x$
- Scaling violation excellently described  
 ➔ DIS-invisible gluon could be determined so precisely from this scaling violations:

PDF has been determined precisely. ➔ Ready to look EW @ high  $Q^2$  <sup>1</sup>

## II. DIS @ EW scale

- NC and CC cross sections at high  $Q^2$
- EW unification

# DIS at high $Q^2$ [CC]

- CC ep  $\rightarrow \nu$  X: Pure Weak (only L) also happens

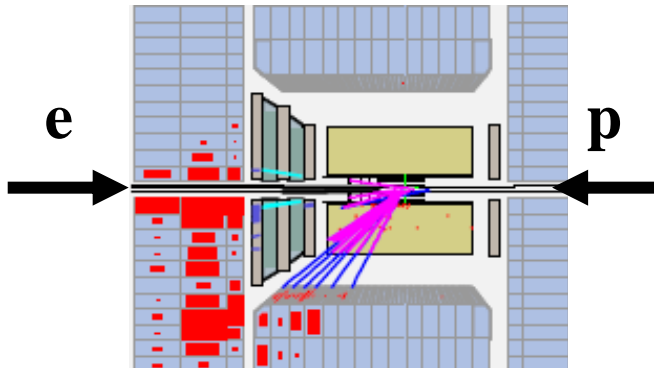
$$\frac{d^2\sigma(e^+p)}{dx dQ^2} = \frac{G_F^2}{2\pi} \left( \frac{M_W^2}{M_W^2 + Q^2} \right)^2 \{(\bar{u} + \bar{c}) + (1-y)^2(d + s)\}$$

$$\frac{d^2\sigma(e^-p)}{dx dQ^2} = \frac{G_F^2}{2\pi} \left( \frac{M_W^2}{M_W^2 + Q^2} \right)^2 \{(u + c) + (1-y)^2(\bar{d} + \bar{s})\}$$

e-p:

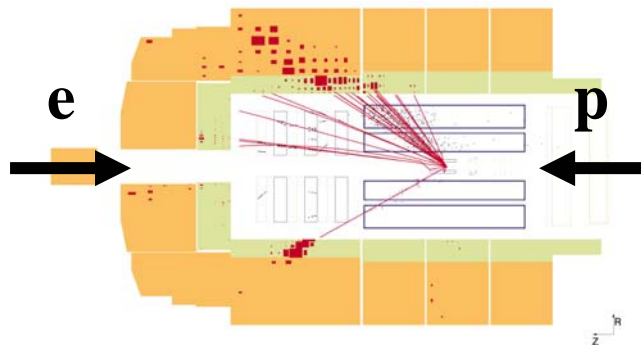
-- charge selecting nature:  
only up-type q (downtype  
anti-q)

-- anti-q receives  $(1-y)^2$   
helicity suppression



- Selection: presence of large missing transverse energy:  $P_{T,miss}$
- Kinematics reconstructed using hadrons (only possibility)

... while NC event looks like:



- Selection: presence of high  $p_T$  scattered electron, scattered at large angle
- Kinematics well reconstructed using either electrons or hadrons (or both)

# DIS at high $Q^2$ [NC]

● NC ep  $\rightarrow$  eX: Z effects at high  $Q^2$

--  $F_2$  receives additional terms

-- “Axial” SF,  $F_3$ , comes into

$$\frac{d^2\sigma(e^\pm P)}{dx dQ^2} = \frac{2\pi\alpha^2}{Q^4} \{Y_+ \tilde{F}_2 \mp Y_- x \tilde{F}_3\} \rightarrow xF_3 \text{ is proportional to valence } q$$

For axial: sign flips between particles and anti-particles

-- Sign flips between e+/e-

-- q/qbar contributes to  $xF_3$  with different sign

Nb.:  $xF_3$  is written as  $F_3$  in the equations below for simplicity

$$\begin{aligned} \tilde{F}_2 &= \sum A_q x(q + \bar{q}) = F_2^\gamma - v_e \chi_Z F_2^{\gamma Z} + (v_e^2 + a_e^2) \chi_Z^2 F_2^Z \\ \tilde{F}_3 &= \sum B_q x(q - \bar{q}) = - a_e \chi_Z F_3^{\gamma Z} + 2v_e a_e \chi_Z^2 F_3^Z \end{aligned}$$

1<sup>st</sup>-order V

1<sup>st</sup>-order A

$\gamma$ -Z interference

2<sup>nd</sup>-order V

2<sup>nd</sup>-order A

Pure Z

$$\chi_Z = \frac{1}{\sin^2 2\theta_w} \frac{Q^2}{M_Z^2 + Q^2}$$

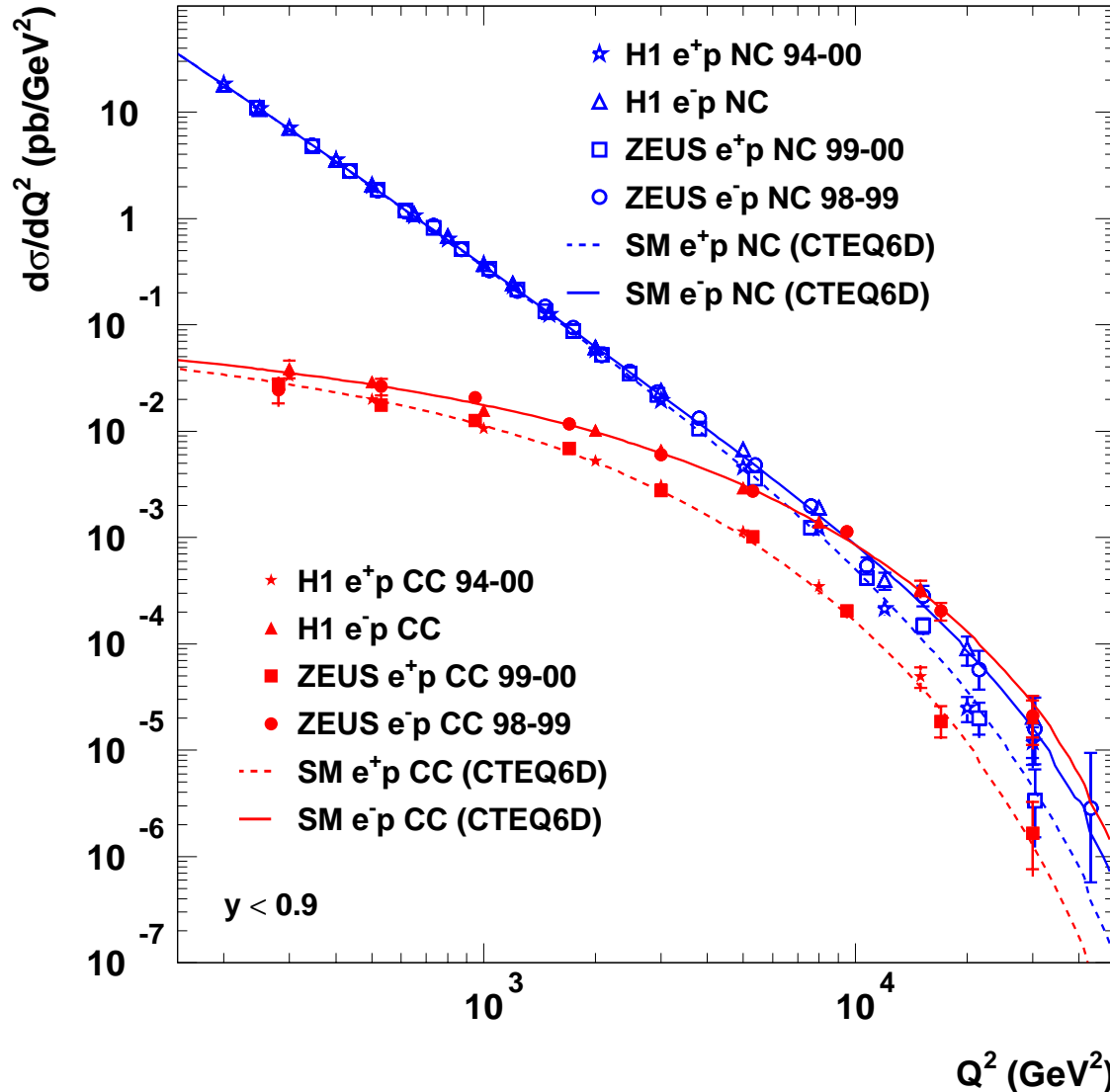
: Propagator term      ►  $v_e \approx 0$

- $F_2$  : 2<sup>nd</sup> order only,  $\sim a_e^2 \chi_Z^2 F_2^Z$
- $F_3$  : 1<sup>st</sup> order (=  $\gamma$  /Z i/f)  $\sim a_e \chi_Z F_3^{\gamma Z}$

# EW unification

HERA-I  
Data

HERA



● Axial component ( $x F_3$ ) can be seen as a difference between e<sup>+</sup> and e<sup>-</sup> NC

● NC and CC cross sections become similar at EW scale

➔ “EW unification”

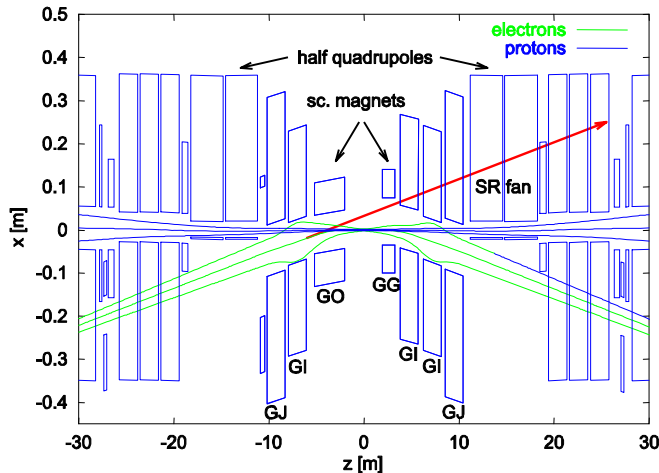
(Differences remained are mainly due to PDFs)

## III. DIS @ EW scale with polarization

- Polarization at HERA
- First polarized DIS @ EW scale
  - Right-handed CC
  - Parity violation in weak NC

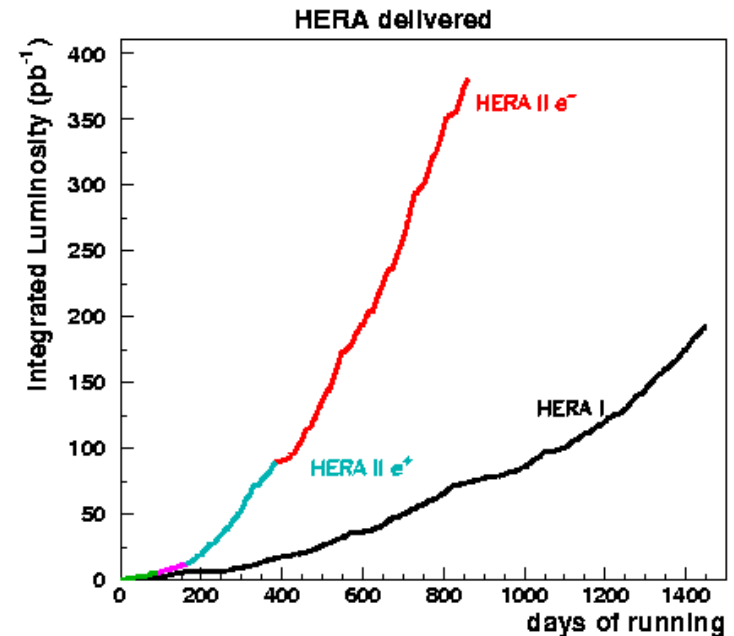
# HERA-II upgrade

- **Luminosity Upgrade** : → Large luminosity is needed to look high  $Q^2$



- Final focusing magnets (“mini-beta”) closer to the detector to achieve high luminosity
- Synchrotron backgrounds initially suffered at begin. of HERA-II has solved
- N.b Vacuum improvement in year 1998 enables efficient e- running

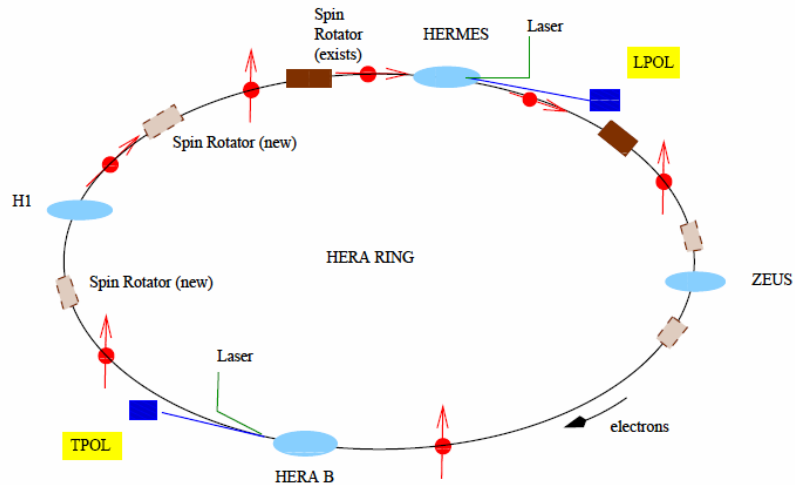
(Very short e- lifetime was the reason of small luminosity in HERA-I e- data)



- A clear improvement of performance (“slope” improves)
- HERA-II luminosity already exceeds HERA-I’s

# Polarization at HERA-II

## ● Longitudinal polarization of lepton beam : → Direct EW sensitivity

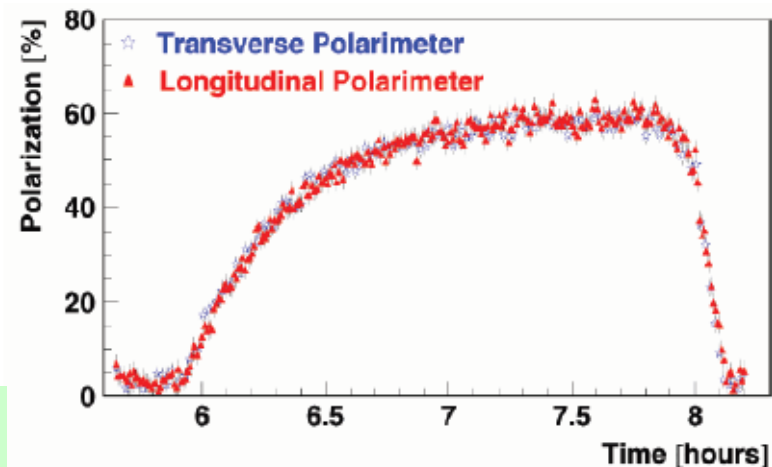


$P_e$  varies run by run. (30-50 %)

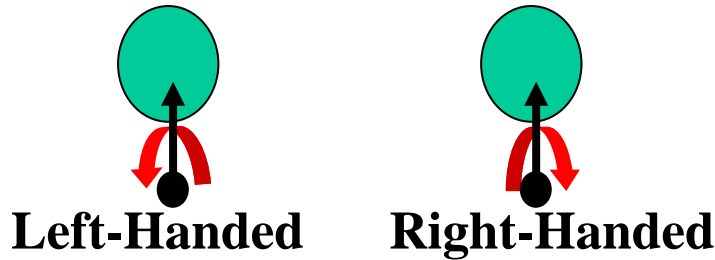
- Sokolov-Ternov effect  
→ Lepton beam has transverse polarization  
→ Rise Time @ HERA ~ 40 min.
- Spin rotator before/after the H1/ZEUS to flip T → L polarization (and vice-versa back)
- Two + one (new) independent Laser Compton Polarimeters

	HERA-I	HERA-II
$e^-$	$\sim 20 \text{ pb}^{-1}$	$e^- \text{ R} : \sim 40 \text{ pb}^{-1} @ P_e \sim +37\%$ $e^- \text{ L} : \sim 80 \text{ pb}^{-1} @ P_e \sim -27\%$
$e^+$	$\sim 100 \text{ pb}^{-1}$	$e^+ \text{ R} : \sim 20 \text{ pb}^{-1} @ P_e \sim +34\%$ $e^+ \text{ L} : \sim 20 \text{ pb}^{-1} @ P_e \sim -40\%$

**The first time of polarized DIS @ EW scale**



# EW physics with polarized lepton beams

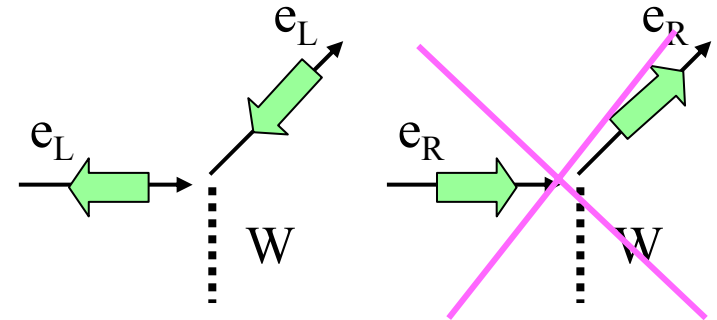


- Polarization = Asymmetry of Helicity states:  

$$P = (N_R - N_L) / (N_R + N_L)$$
- Helicity = Chirality (if mass is neglected)  
 → By means of Pol, chiral structure can be tested.
- RH  $\neq$  LH is: parity violation

## ► Charged-current DIS

- “Pure” Weak  
 → Chiral structure of weak int. is directly visible as a function of Polarization
- Weak = “100% parity violated” (no RH)  
 → Zero cross section @ Pol=1 (-1 for e+)  
 →  $\sigma(\text{Pol}) = (1 + \text{Pol}) \sigma(\text{Unpol})$



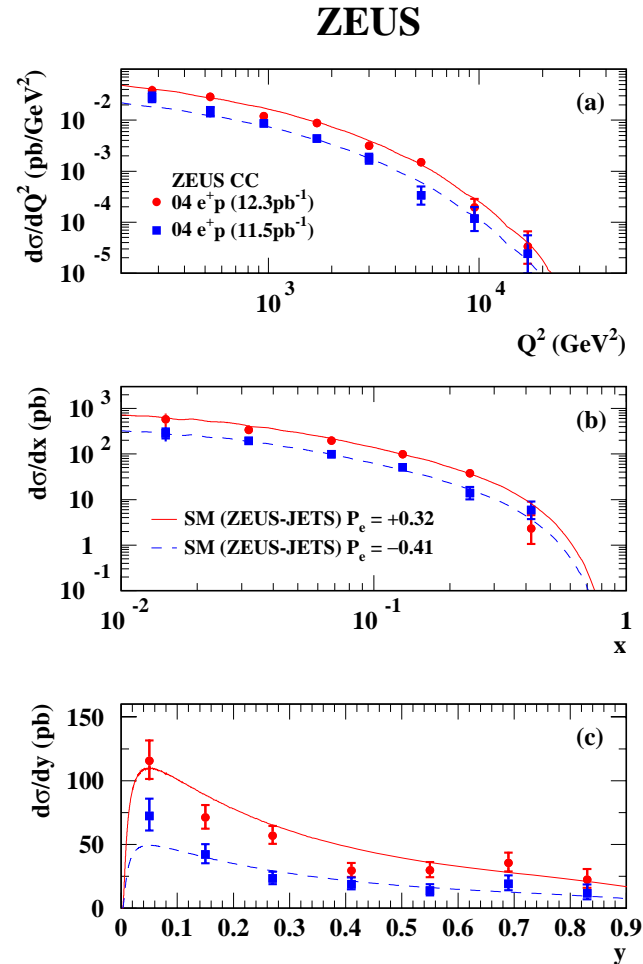
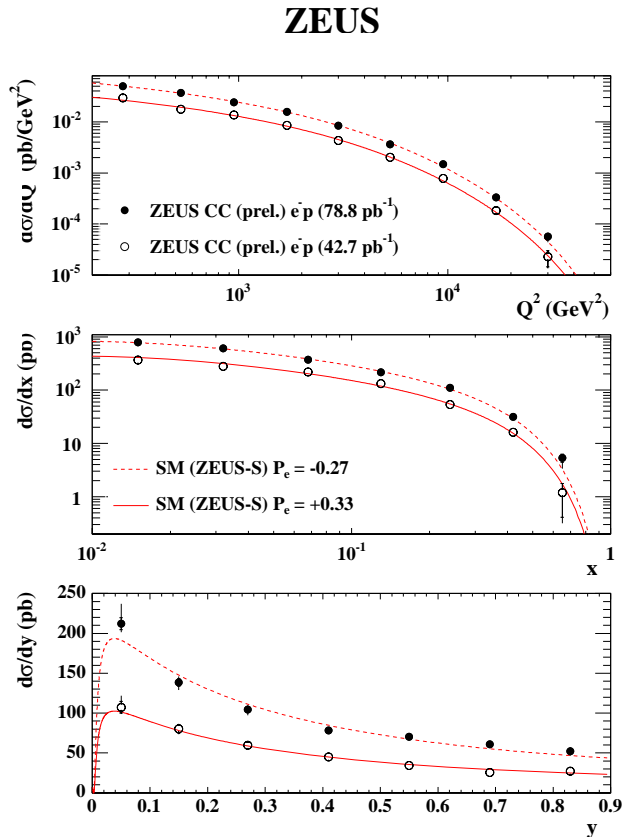
## ► Neutral-current DIS

- Weak’s parity violating effect through  $\gamma$ -Z interference and pure Z  
 → visible only at large  $Q^2$
- Such  $\gamma$ -Z and Z terms contain EW parameters,  
 i.e. quark couplings to Z,  $\sin \theta_w, M_Z$

# CC single-differential cross-sections

HERA-II  
Data

►  $d\sigma/dx$ ,  $d\sigma/dy$

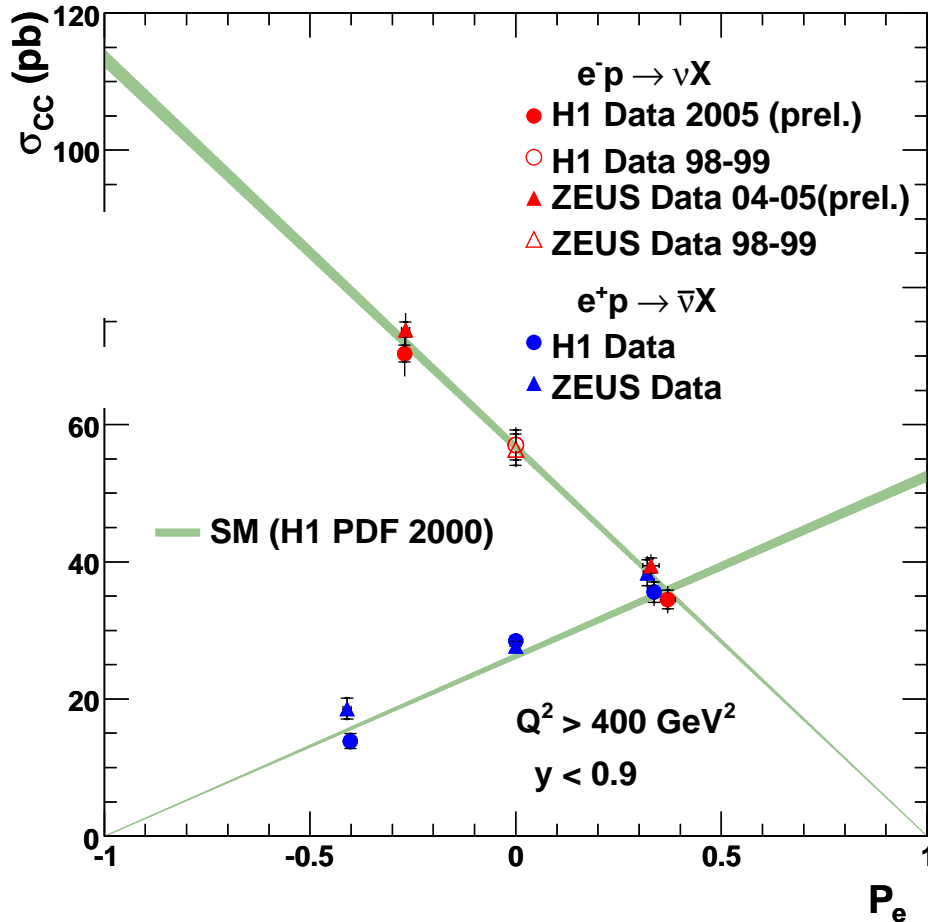


- Clear normalization difference observed between +ve/-ve polarizations for all kinematic phase space
- To see polarization dependence clearer: total cross section → Next page

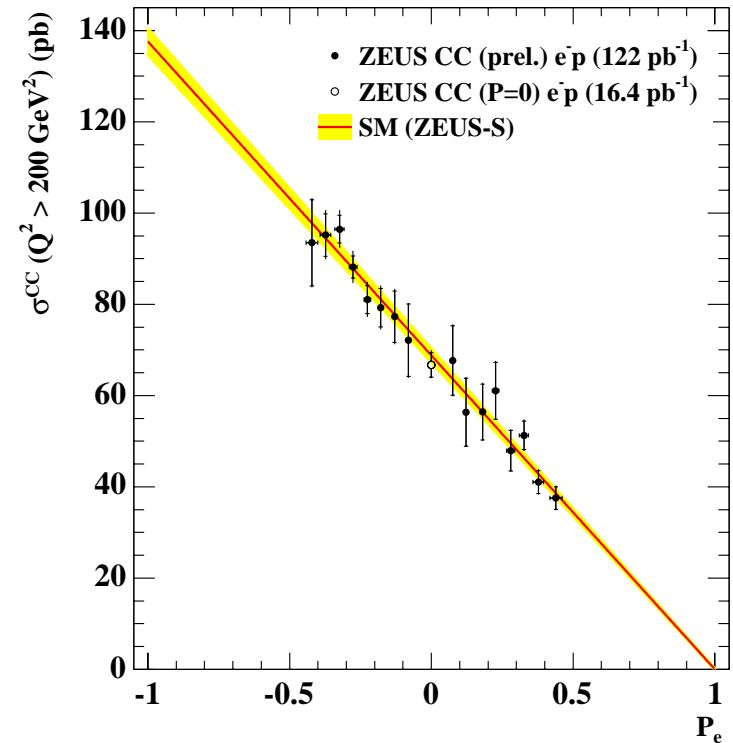
# CC cross section vs. polarization

HERA-II  
Data

Charged Current  $e^\pm p$  Scattering



ZEUS

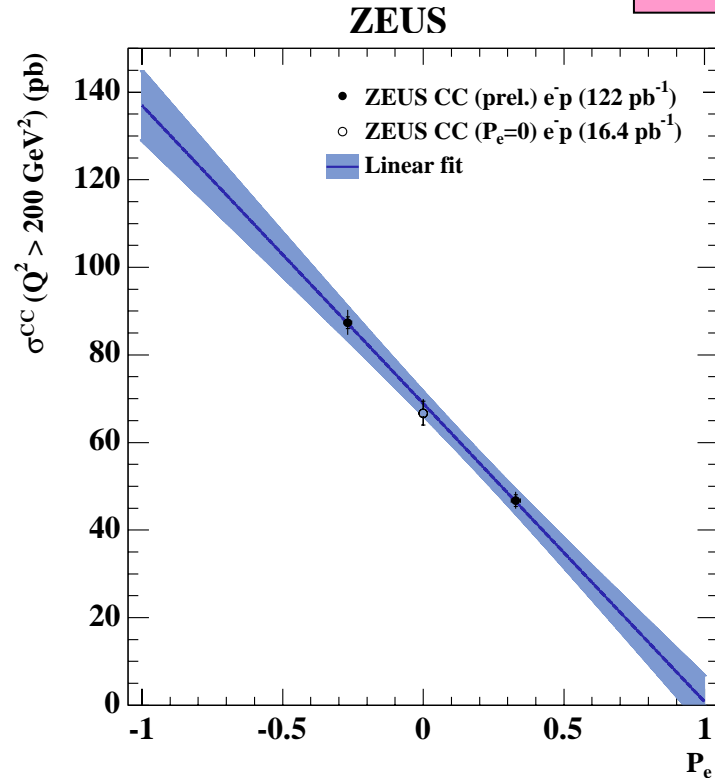
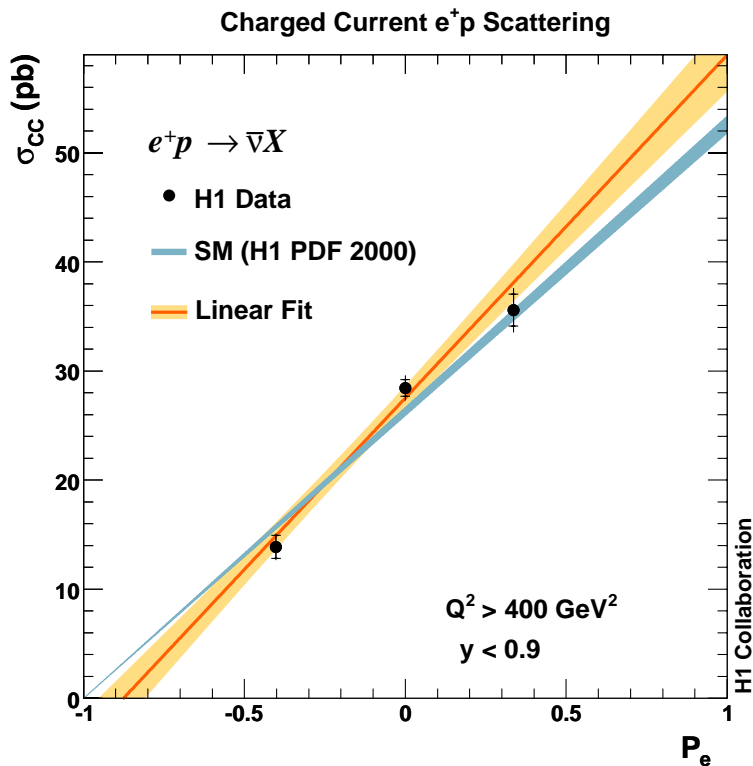


● Clear demonstration of linear dependence on pol.  $((1-P_e)/2)$

- Consistent with SM prediction of:  $\sigma(\text{RH CC})=0$   
(Error band from PDF uncertainty)
- Direct sensitivity to  $W_R \rightarrow$  Next Slide

# $W_R$ mass limit

HERA-II  
Data



► Assuming  $g_L = g_R$  and  $\nu_R$  is light:

--  $W_R$  mass limit was derived as 208 GeV ( $\leftarrow$  H1  $e^+$ )  
(Error dominated by polarization uncertainty)

H1  $e^-$ : 186 GeV  
ZEUS  $e^-$ : 180 GeV

- $\beta$  + decay:  $> 310 \text{ GeV}$  (polarized  $^{12}\text{N}$  decay)
- cf.  $W'$  :  $> 786 \text{ GeV}$  by CDF ( $W' \rightarrow e\nu, \mu\nu$ )

# Polarization effects in NC

$$\begin{aligned}\tilde{F}_2 &= F_2^\gamma - (v_e \pm P_e a_e) \chi_Z F_2^{\gamma Z} + ((v_e^2 + a_e^2) \pm P_e 2v_e a_e) \chi_Z^2 F_2^Z \\ \tilde{F}_3 &= - (a_e \pm P_e v_e) \chi_Z F_3^{\gamma Z} + ((2v_e a_e \pm P_e (v_e^2 + a_e^2)) \chi_Z^2 F_3^Z\end{aligned}$$

Nb.:  $x F_3$  is written as  $F_3$  for simplicity

- Polarization modifies  $\gamma Z$  and  $Z$  terms as:

- Axial to  $F_2$ , vector to  $F_3$
- Modification degree by  $P_e$

►  $v_e \approx 0$

- $F_2$  : 1<sup>st</sup> order,  $\sim \pm P_e a_e \chi_Z F_2^{\gamma Z}$
- $F_3$  : 2<sup>nd</sup> order only,  $\sim \pm P_e a_e^2 \chi_Z^2 F_3^Z$

**Unpol:**

$$\sigma(e^+) - \sigma(e^-) \rightarrow F_3^{\gamma Z}$$

**Pol :**

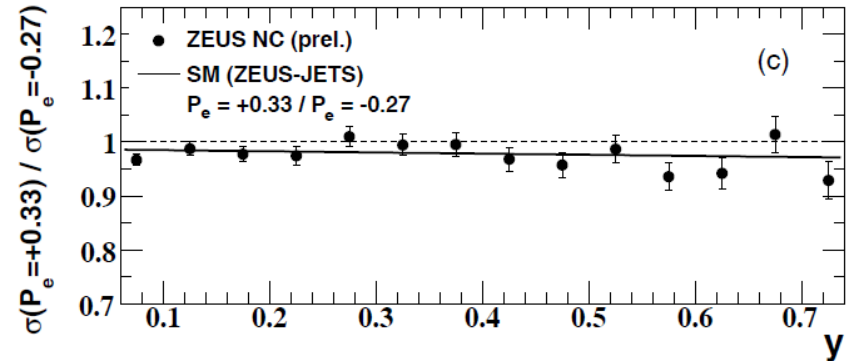
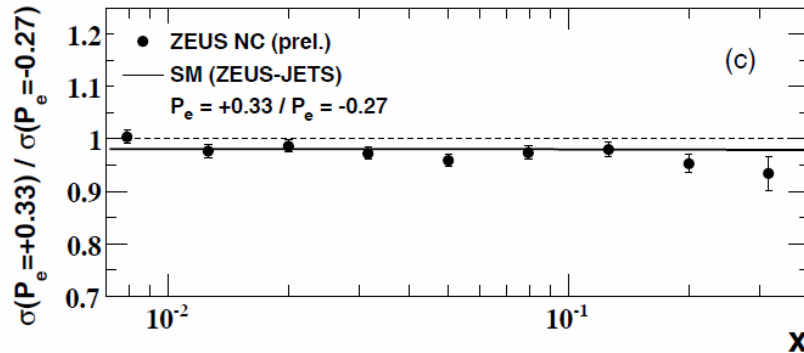
$$\sigma(P_e \rightarrow) - \sigma(P_e \leftarrow) \rightarrow F_2^{\gamma Z}$$

- Polarization effects expected only at EW scale, i.e large  $Q^2$

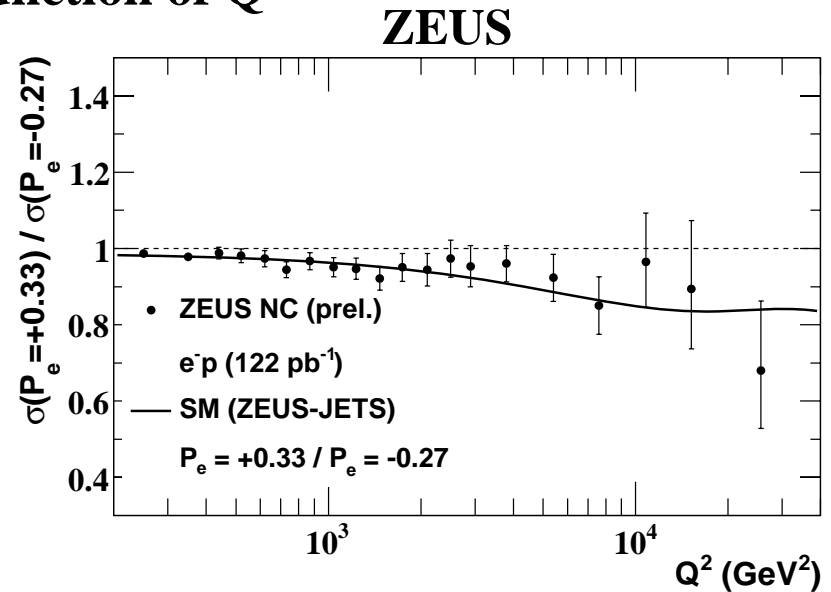
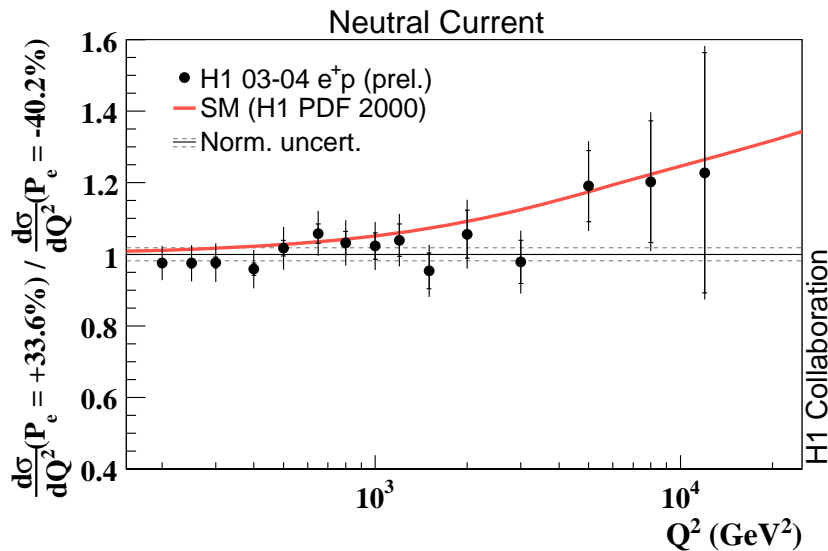
# NC cross section vs. polarization

HERA-II  
Data

- $d\sigma/dx$ ,  $d\sigma/dy$  : Polarization effects no strong dependence on  $x/y$



- $d\sigma/dQ^2$  : Polarization effects as a function of  $Q^2$

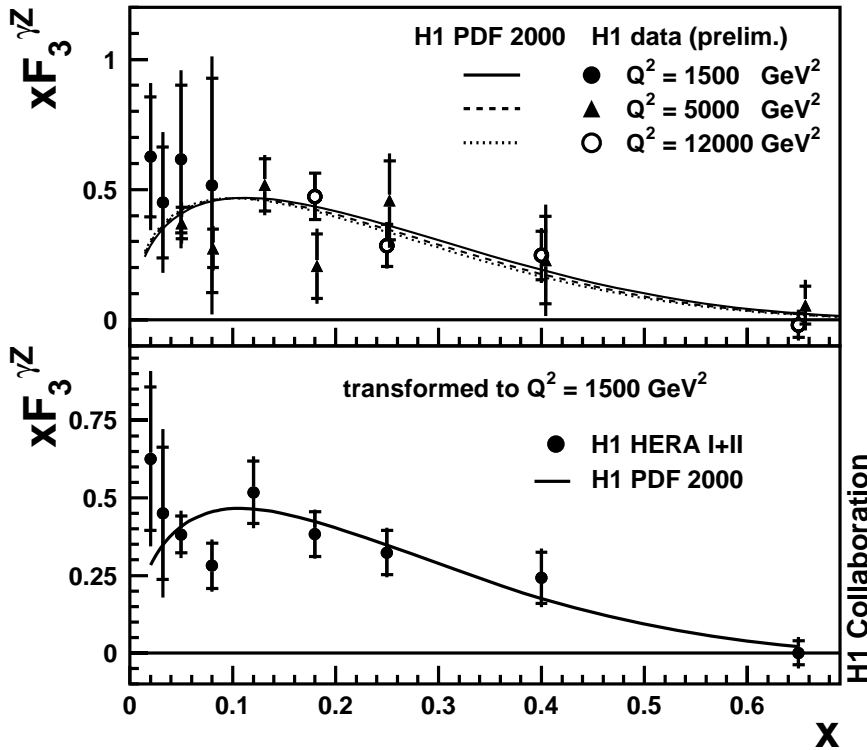


Parity violation of weak NC observed for the first time at EW scale

# $xF_3$

- HERA-II e- = Big luminosity (7 times of HERA-I e-)
- Combine RH and LH samples to obtain 'pseudo-unpolarized'
- ▶  $xF_3 = \text{HERA-I } e^+ - \text{HERA-II } e^-$

## H1 Preliminary

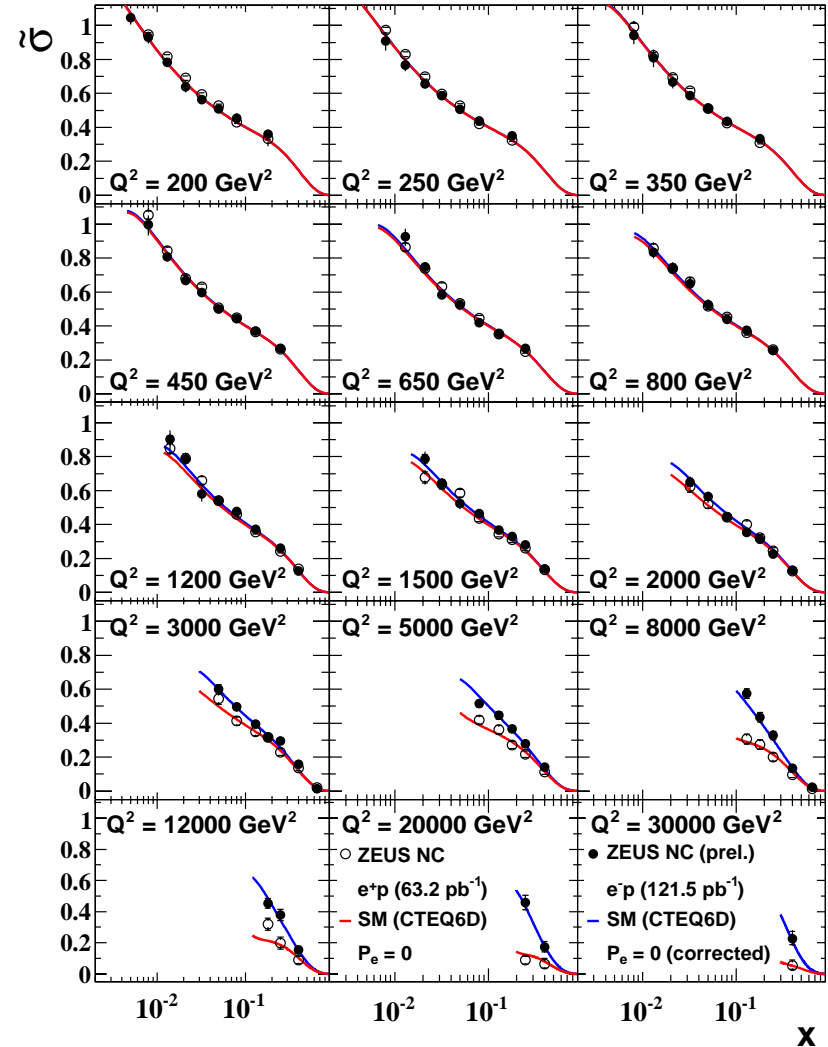


- Axial SF  $xF_3$  is determined with good precision @ EW scale

HERA-I  
Data

HERA-II  
Data

## ZEUS



## IV. QCD+EW combined analysis

- $M_w$
- Light quark couplings to Z

# EW+QCD fit

- A fit to determine both PDF and EW parameters
  - Advantage: correlation automatically taken into account
- A fit to single experimental data
  - H1 fit to H1 data only, ZEUS fit to ZEUS data only
  - Advantage: handling on systematic errors is straightforward

□ H1 [published]

**HERA-I :  $F_2$  + Unpol. high $Q^2$  NC+CC**

□ ZEUS [prel.]

**HERA-I :  $F_2$  + Unpol. high $Q^2$  NC+CC**

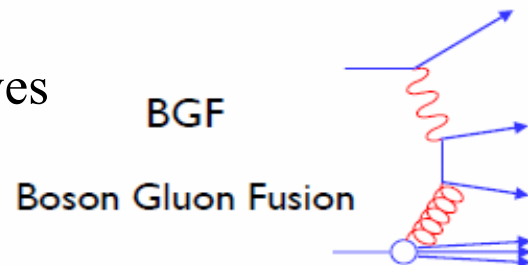
**+ HERA-I : DIS incl. Jet + PhP di-Jets.**

**+ HERA-II : Polarized e- NC and CC**

← **“ZEUS-JETS” [published]**

← **“ZEUS-POL” [prel.]**

⊗ Photoproduction ( $Q^2=0$ ) dijets gives direct access to gluon and  $\alpha_s$  →



# PDFs

## ● Precision of gluon PDF

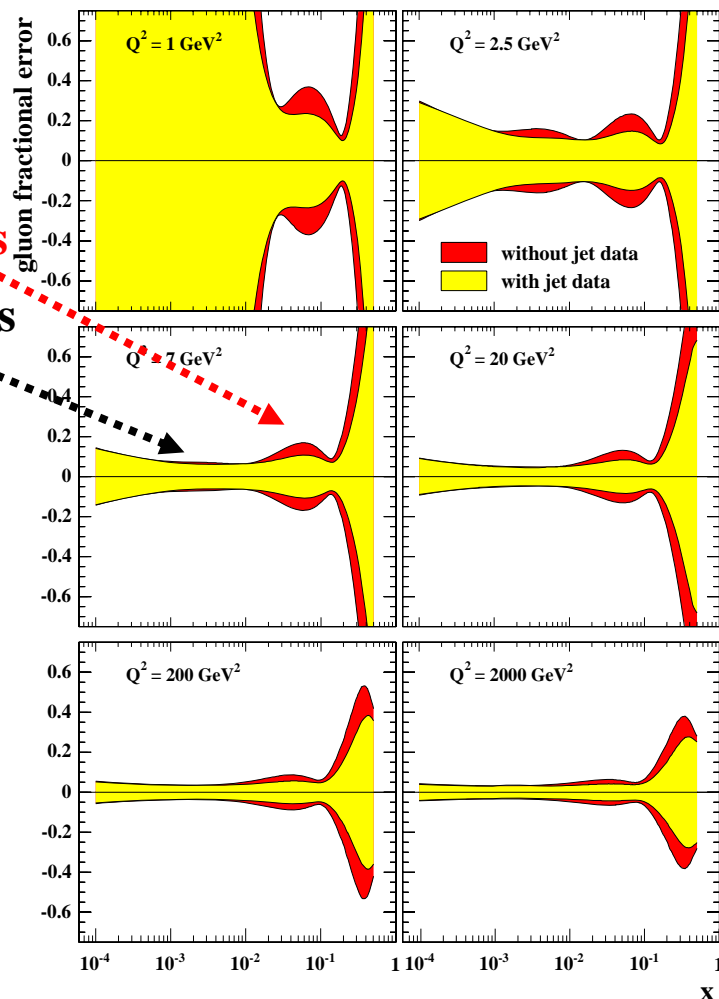
-- Improved by adding Jets

## ● Precision of u-quark PDF

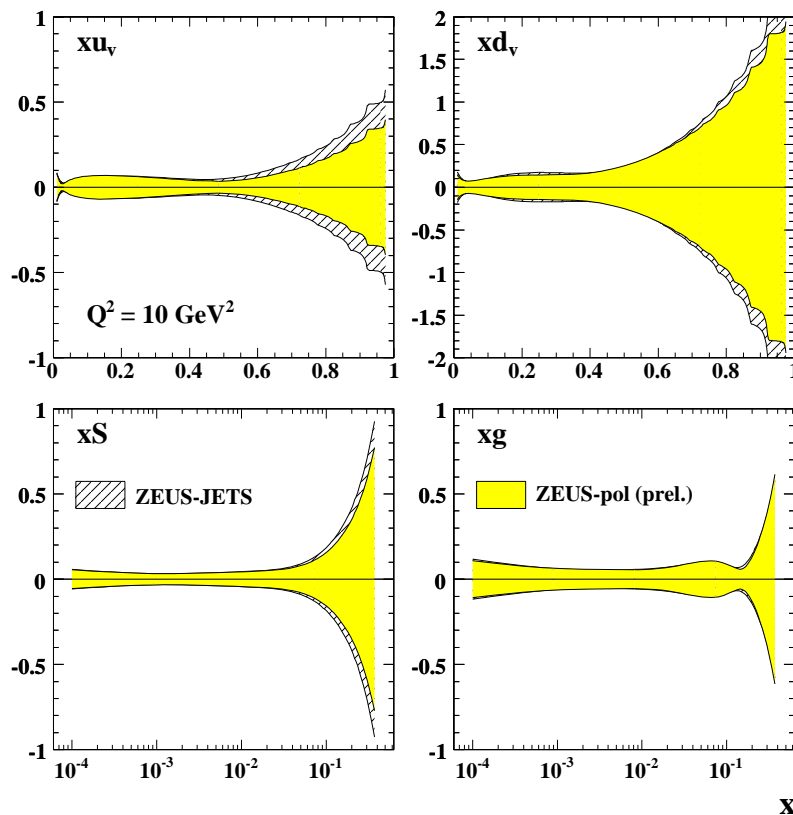
-- Improved in particular at large x as expected, i.e.  $\sigma(NC) \propto 4u + d$

$$\sigma(CC) \propto u$$

ZEUS



fractional uncertainty



# Determination of $M_W$

## ● Determination in t-channel (propagator mass)

▶ If we assume:  $G_F$  is  $M_W = \infty$  at low energy

$$\sigma(\text{CC @ HERA}) \propto G_F^2 \left( \frac{M_W^2}{M_W^2 + Q^2} \right)^2$$

Nb.  $M_W$  contributes both normalization and shape

➔  $G_F$  obtained agree with muon decay  
“CC universality”

➔ With fixed  $G_F$  @ muon decay:

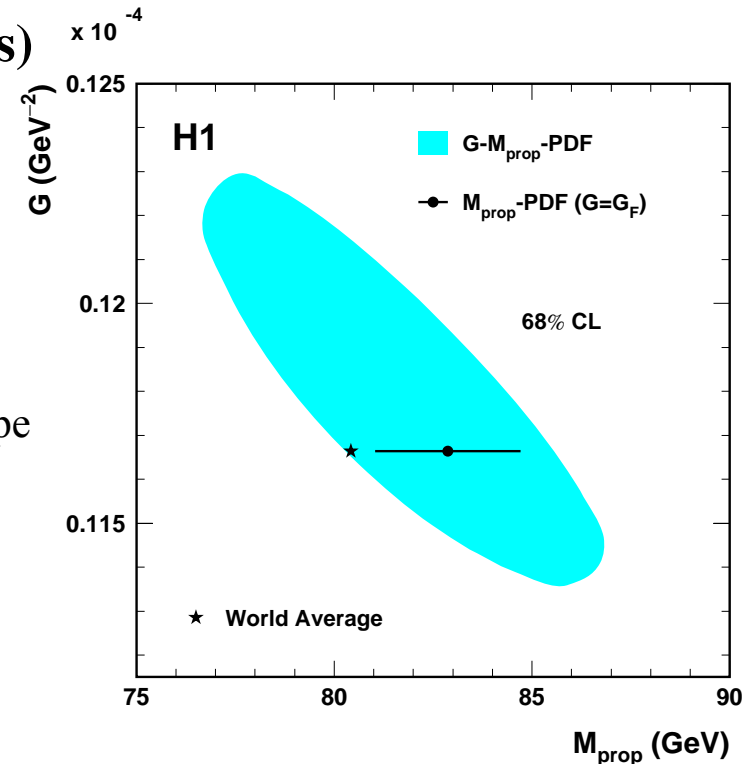
$$\text{H1: } M_W = 82.9 \pm 1.8(\text{exp})^{+0.32}_{-0.18}(\text{model}) \text{ GeV}$$

$$\text{ZEUS: } M_W = 79.1 \pm 0.8(\text{stat} + \text{uncor.syst}) \pm 1.0(\text{cor.syst}) \text{ GeV}$$

▶ Without assuming  $G_F$ : genuine propagator mass

$$\sigma(\text{CC @ HERA}) \propto g^2 \frac{1}{(M_W^2 + Q^2)^2}$$

$$\text{ZEUS: } M_W = 82.8 \pm 1.5(\text{stat} + \text{uncor.syst}) \pm 1.3(\text{cor.syst}) \text{ GeV}$$



**Complementary and consistent results to the  $M_W$  determined at s-channel LEP/TEV**

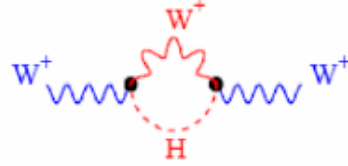
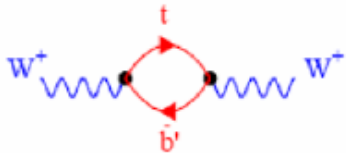
# $M_W$ in the framework of SM

- In the SM  $G_F$  and  $M_W$  are related  $\rightarrow$  Fits fully assuming SM

-- On-Mass-Shell (OMS) scheme

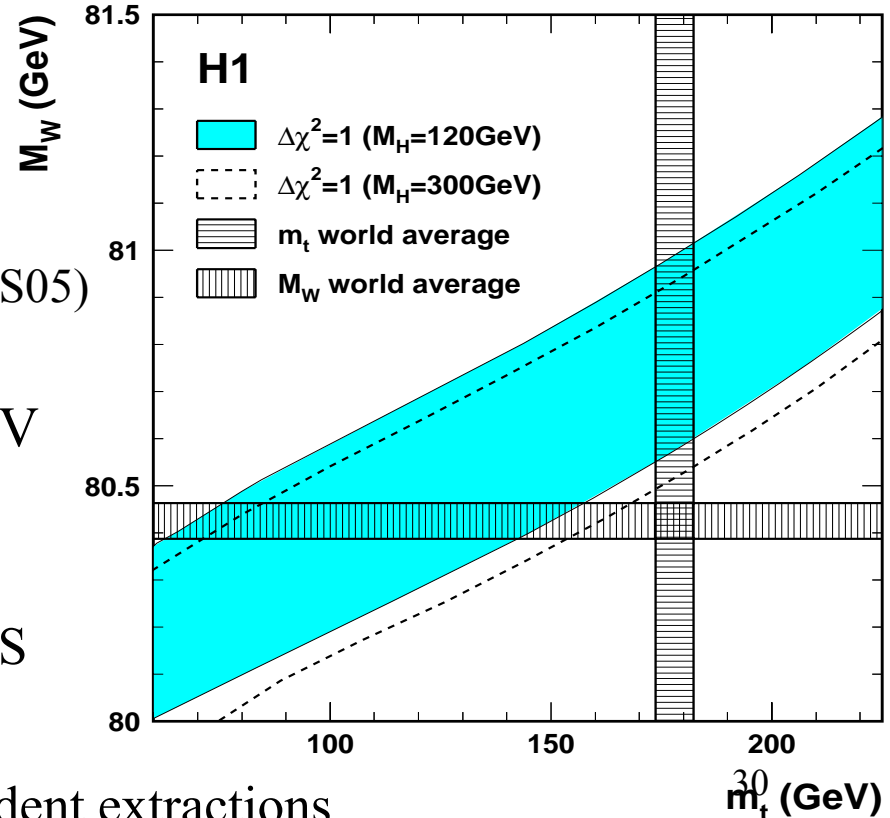
$$\frac{d^2\sigma}{dx dQ^2} = \frac{\pi\alpha^2}{4M_W^2 \left(1 - \frac{M_W^2}{M_Z^2}\right)^2} \frac{1}{(1 - \Delta r)^2} \left(\frac{M_W^2}{Q^2 + M_W^2}\right)^2 \Phi(pdfs)$$

Quadratic dependence on  $m_t$     Logarithmic dependence on  $M_H$



(ref. Z.Zhang @ EPS05)

- ▶ A fit to  $M_W$  with  $M_Z$  fixed
  - $M_W = 80.786 \pm 0.205(\text{exp}) \text{ GeV}$
- ▶ A fit to  $m_t$  with  $M_Z, M_W$  fixed
  - $m_t = 104 \pm 44(\text{exp}) \text{ GeV}$
  - First determination of  $m_{\text{Top}}$  in DIS (via loop corr)



⊗ Nb. These are model-dependent extractions

# Light quark couplings to Z

## ● EW structure functions in QPM

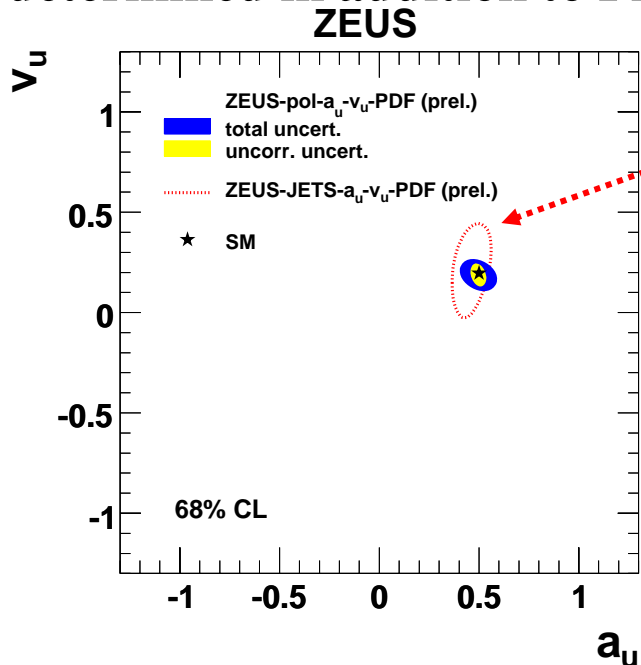
$$\begin{aligned}
 F_2^{\gamma Z} &= 2e_f v_f \Sigma_i x [q_f + \bar{q}_f] \\
 F_2^Z &= (v_f^2 + a_f^2) \Sigma_i x [q_f + \bar{q}_f] \\
 F_3^{\gamma Z} &= 2e_f a_f \Sigma_i x [q_f - \bar{q}_f] \\
 F_3^Z &= 2v_f a_f \Sigma_i x [q_f - \bar{q}_f]
 \end{aligned}$$

Unpol:  $\sigma(e^+) - \sigma(e^-) \rightarrow F_3^{\gamma Z}$   
 Pol:  $\sigma(P_e \rightarrow) - \sigma(P_e \leftarrow) \rightarrow F_2^{\gamma Z}$   
 $\Downarrow$   
 Unpol:  $\sigma(e^+) - \sigma(e^-) \rightarrow a_f$   
 Pol:  $\sigma(P_e \rightarrow) - \sigma(P_e \leftarrow) \rightarrow v_f$

Nb.:  $x F_3$  is written as  $F_3$  for simplicity

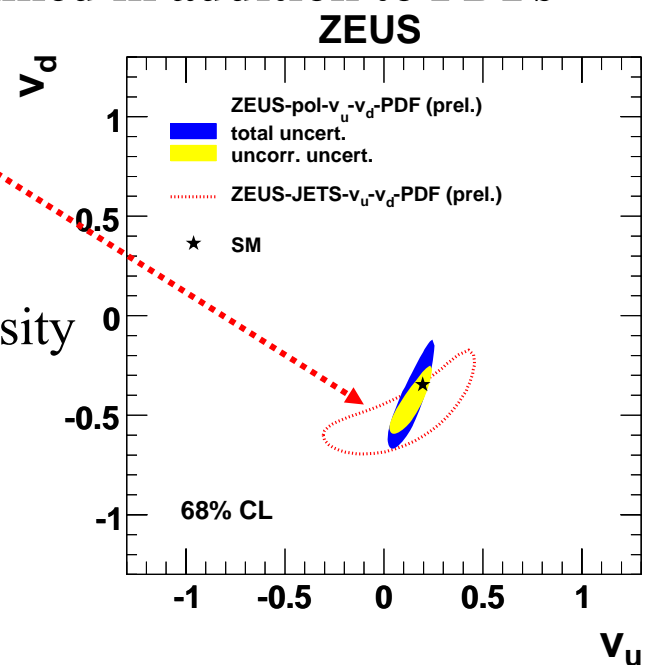
► A fit with  $V_u, A_u$  are free to be determined in addition to PDFs

► A fit with  $V_u, V_d$  are free to be determined in addition to PDFs



w/o HERA-II

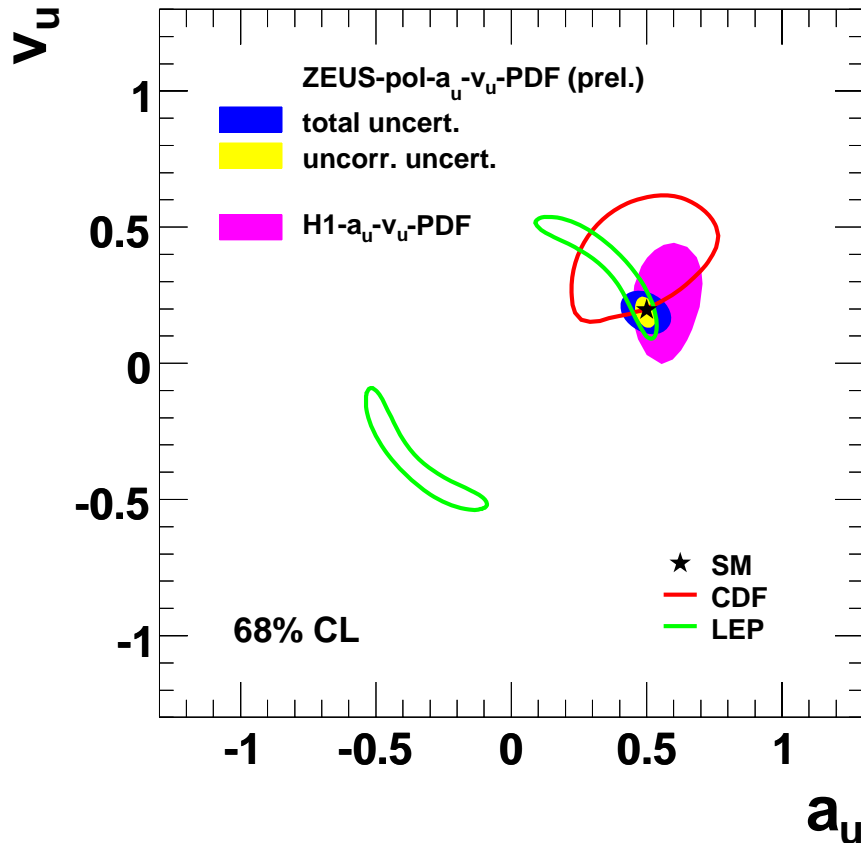
- Large luminosity  
→ improves  $a$
- Polarization  
→ improves  $v$



# Quark couplings compared to other exp

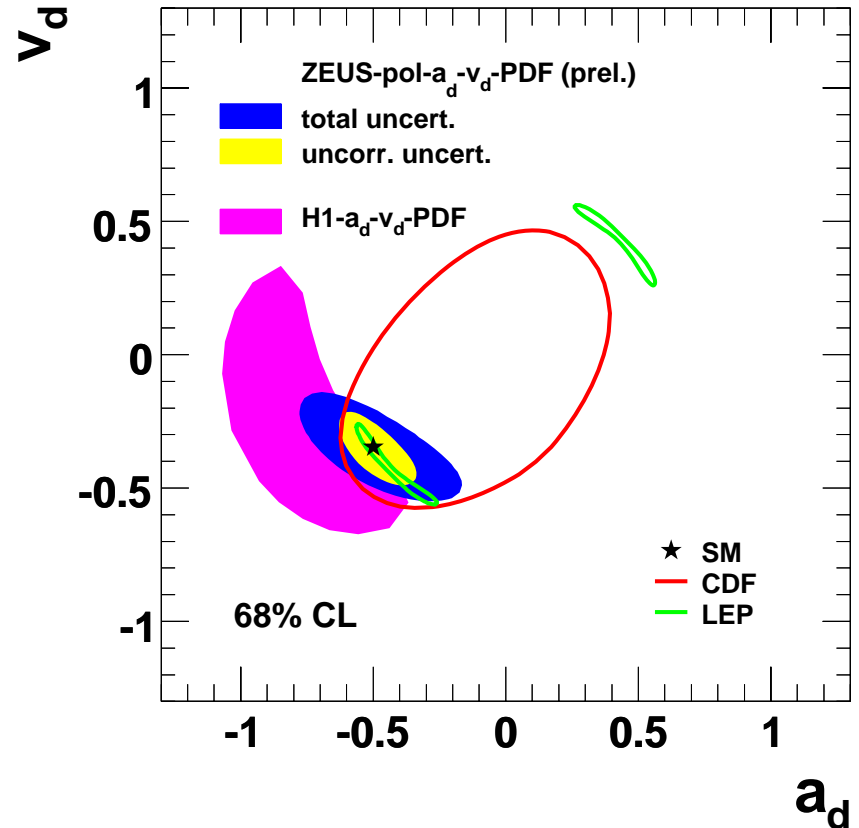
► A fit with  $V_u, A_u$  are free to be determined in addition to PDFs

**ZEUS**



► A fit with  $V_d, A_d$  are free to be determined in addition to PDFs

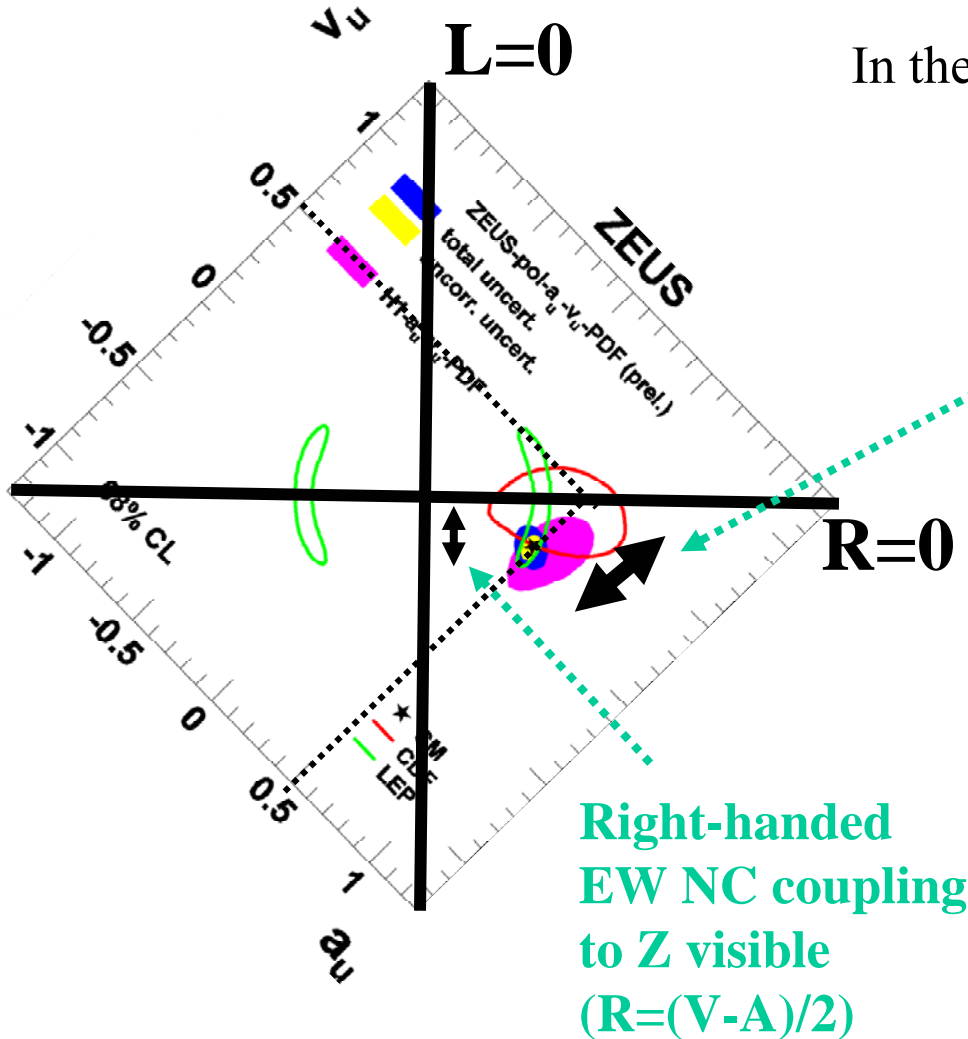
**ZEUS**



● High precision, competitive to other experiments

# Determination of SM EW parameters

- $V_u, V_d, A_u, A_d$ : parameterization as less model dependence as possible



In the SM

$$v_f = T^3_f - 2e_f \sin^2 \theta_w$$

$$a_f = T^3_f$$

**$\sin^2 \theta_w$  is visible**

► A EW+QCD fit to determine:  $T^3_u, T^3_d, \sin^2 \theta_w$

$$T^3_u = 0.47 \pm 0.05 \pm 0.13$$

$$T^3_d = -0.55 \pm 0.18 \pm 0.35$$

$$\sin^2 \theta_w = 0.231 \pm 0.024 \pm 0.070$$

Nb. In this fit,  $\sin^2 \theta_w$  also contributes to the propagator term

# Summary

- HERA has provided most precise inclusive structure function measurements, which brought significant improvements to our knowledge on proton structure
- Based on this precise understanding of the proton structure, HERA is now able to investigate elementary interaction with large luminosity and longitudinal polarization provided since 2003
  - First polarized DIS @ EW scale
  - Direct sensitivity to right-handed CC
  - First observation of parity violation in weak NC @ EW scale
  - Best determination of light quarks' NC couplings
- HERA will run until 30/June/2007 to collect large sample of  $e^+$  with longitudinal polarization.
  - HERA's legacy results on EW will come soon.

# Backup Slides

# Weak Isospin

## ● Sensitivity to right-handed weak isospin

$$v_f = T^3_{f,L} - T^3_{f,R} - 2e_f \sin^2 \theta_W$$

$$a_f = T^3_{f,L} + T^3_{f,R}$$

► A EW+QCD fit to determine:  $T^3_{u,R}$ ,  $T^3_{d,R}$ ,  $\sin^2 \theta_W$   
( $T^3_{u,L}$  and  $T^3_{d,L}$  fixed @ SM values)

$$T^3_{u,R} = -0.07 \pm 0.07 \pm 0.07$$

$$T^3_{d,R} = -0.26 \pm 0.19 \pm 0.19$$

$$\sin^2 \theta_W = 0.238 \pm 0.011 \pm 0.023$$

